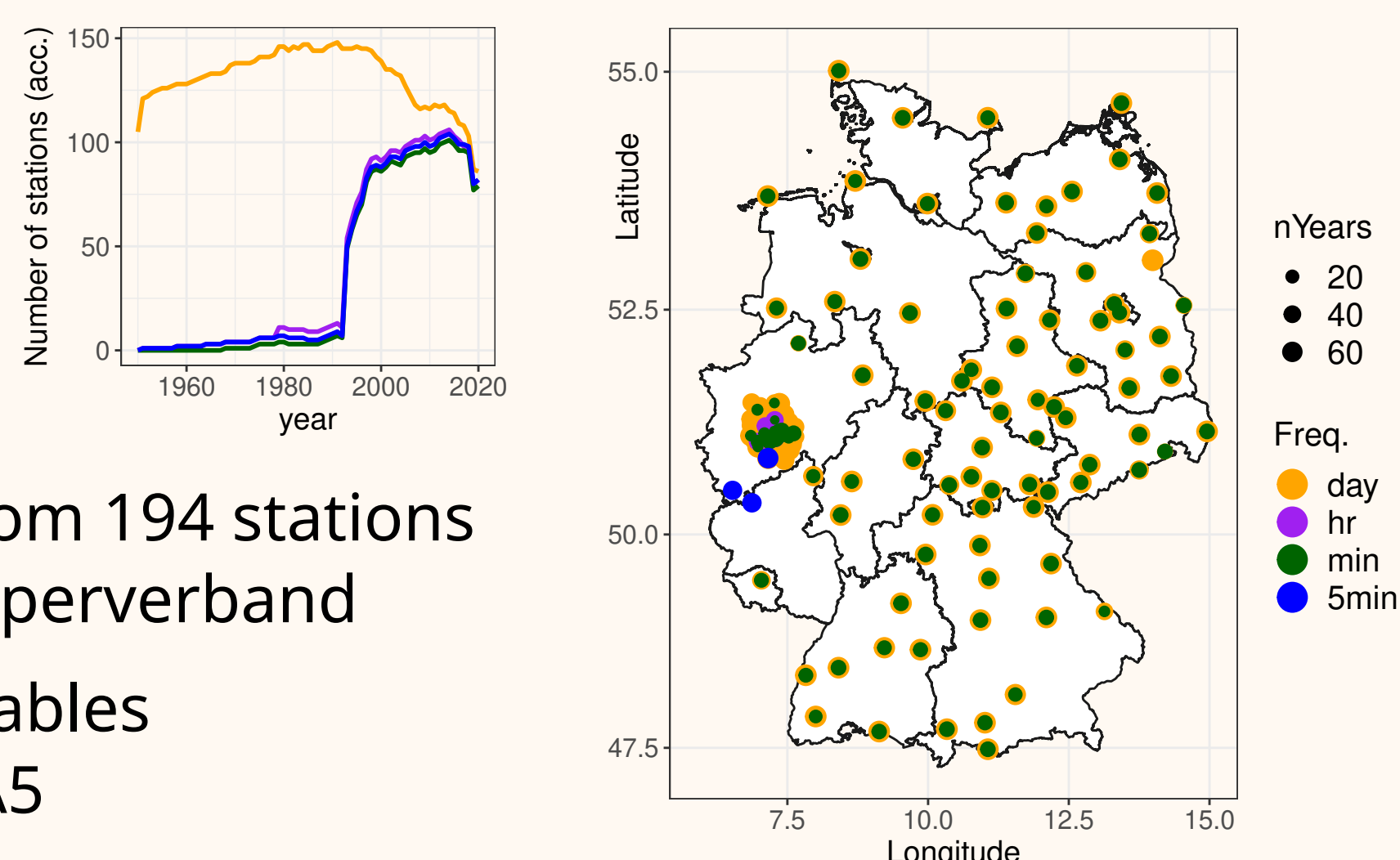


## Motivation

How will extreme rain change in the future? How do large-scale variables, like NAO, blocking and temperature influence those extremes? A statistical analysis.

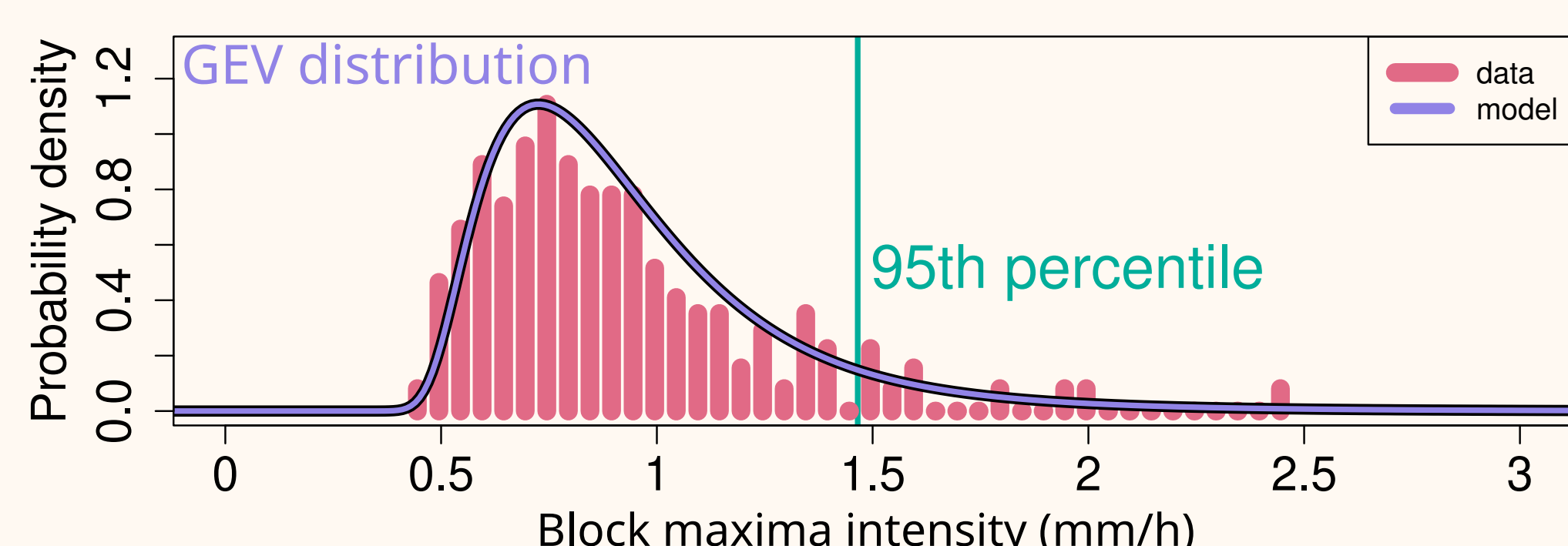
## Data and Methods

### Data



- precipitation from 194 stations
  - by DWD, Wupperverband
- large scale variables
  - by NOAA, ERA5

### Methods



#### GEV distribution

$$G(z) = \exp \left\{ - \left[ 1 + \xi \left( \frac{z - \mu}{\sigma} \right) \right]^{-1/\xi} \right\}$$

$$\mu(d) = \tilde{\mu}(\sigma_0(d + \theta)^{-\eta} + \tau)$$

$$\sigma(d) = \sigma_0(d + \theta)^{-(\eta + \eta_2)} + \tau$$

$$\xi = \text{const.}$$

#### GEV parameters depend on duration:

$\Phi_d = \{\mu, \sigma, \xi\} = \Phi_d(d)$   
d-GEV parameters depend on large scale values X:  
 $\Phi_m = \{\tilde{\mu}, \sigma_0, \xi, \theta, \eta, \eta_2, \tau\} = f(X)$   
e.g.  $\tilde{\mu} \sim \text{blocking}^2 + \text{time}$

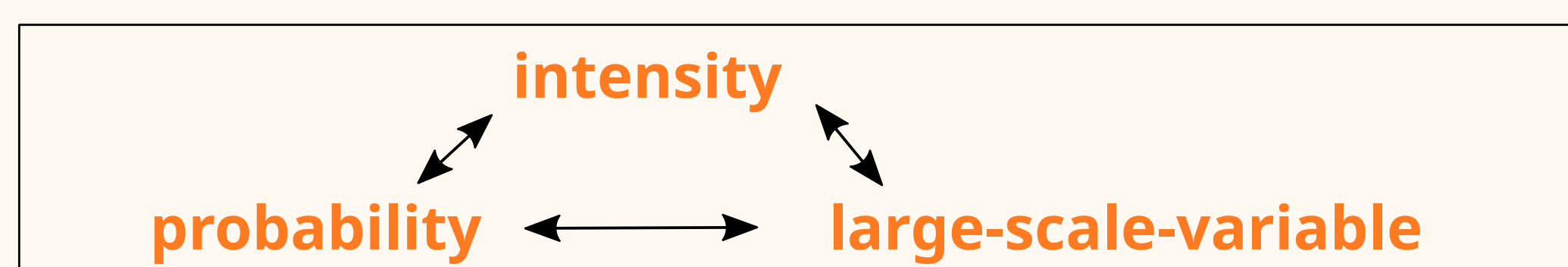
Replace GLM by GAM?

## Large Scale Influence in the Past

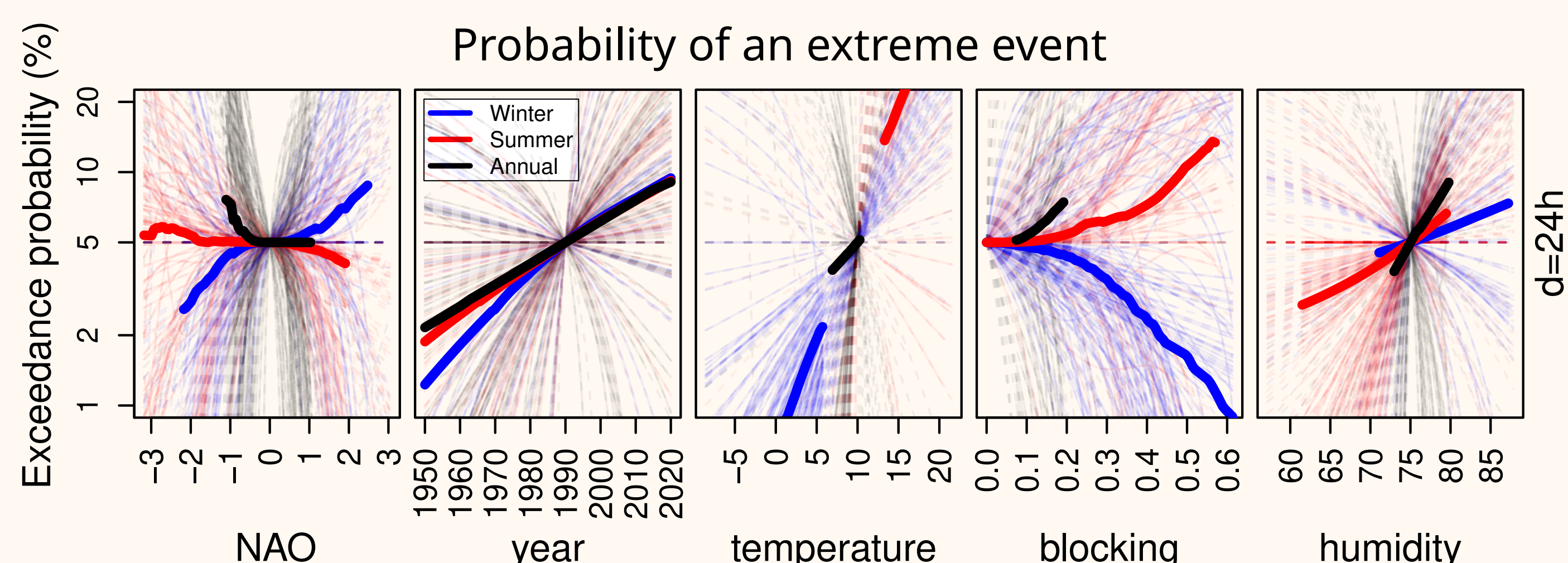
(Fauer et al, 2023)

Research question: How does the probability of an extreme event react, when one variable is changed? All other variables are fixed.

Our statistical model describes the relationship between:



Here, we keep intensity constant, vary the large-scale-variable and estimate the probability. This way, we get the probability as function of the large-scale-variable:



## Future Projections of Extremes

to project average values

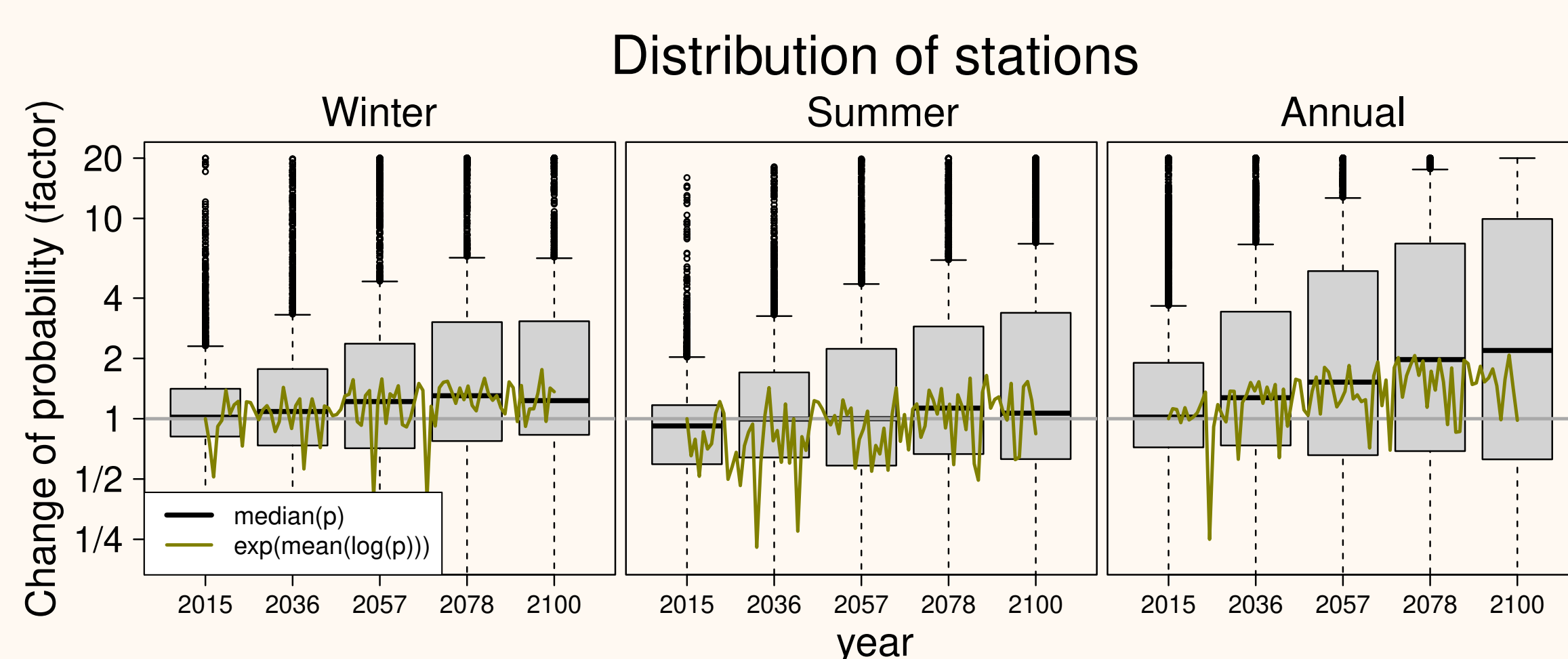
easy

vs. to project extremes

difficult

We use the modeled relations between average large-scale variables and extreme intensity in the past to create future IDF-relations based on climate projections and the projected average large-scale values.

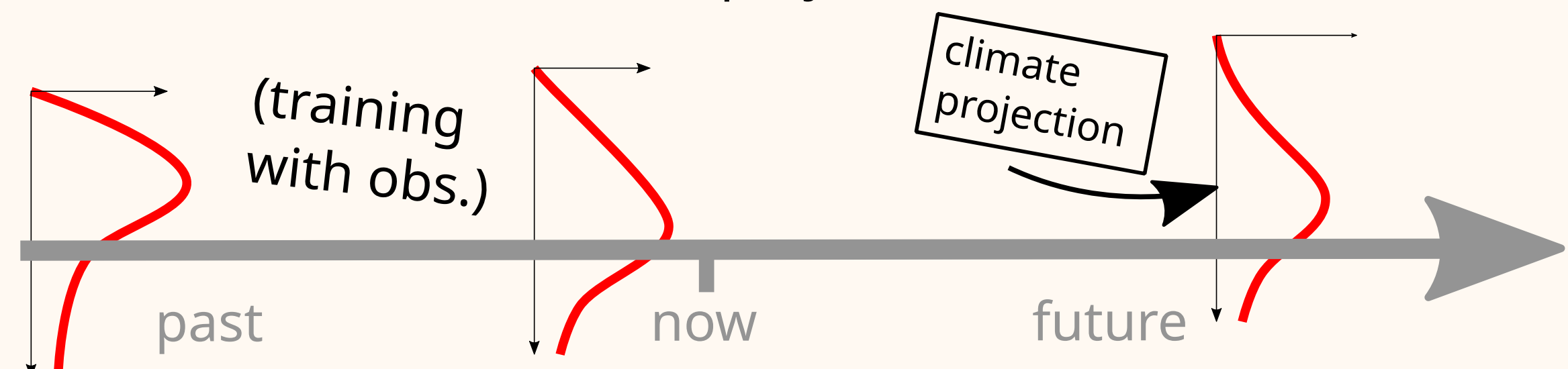
How does the probability of the 20-year event ( $p=5\%$ ) from 2015 change in the future?



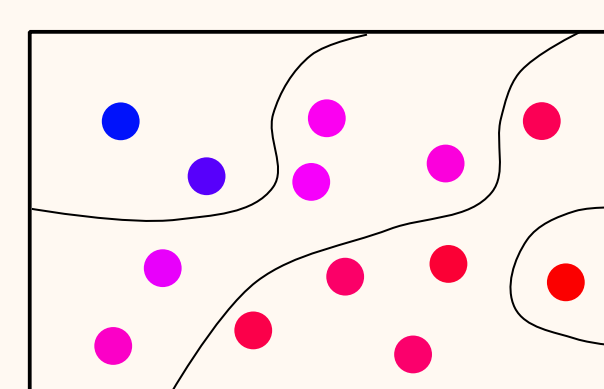
positive trend or no trend, depending on method (median or log-mean over stations)

## Ideas and Outlook

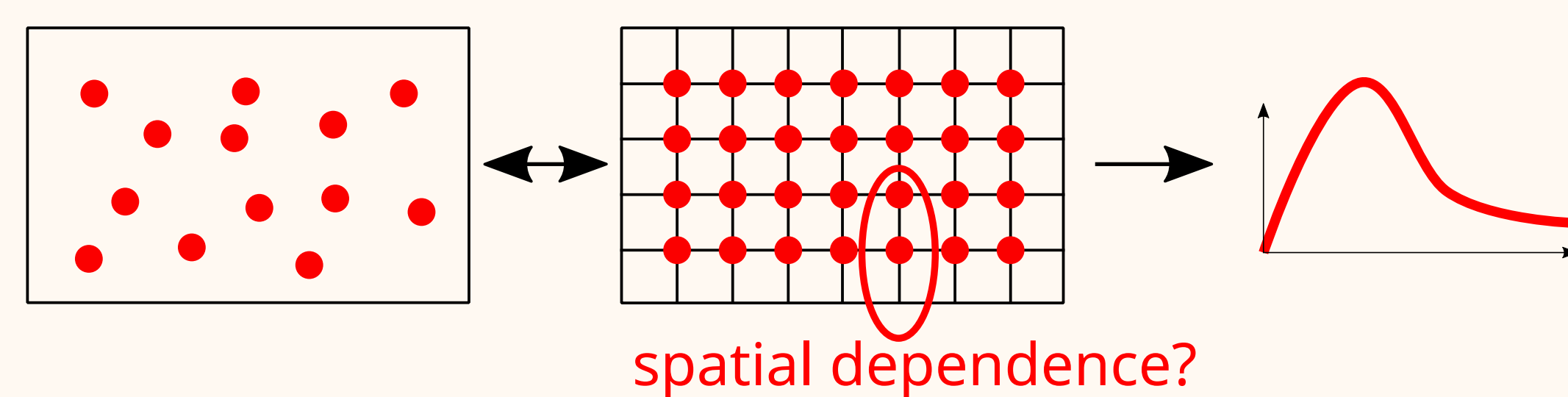
- Investigate the change of IDF relations with respect to decadal predictions and/or different climate projections, scenarios and models.



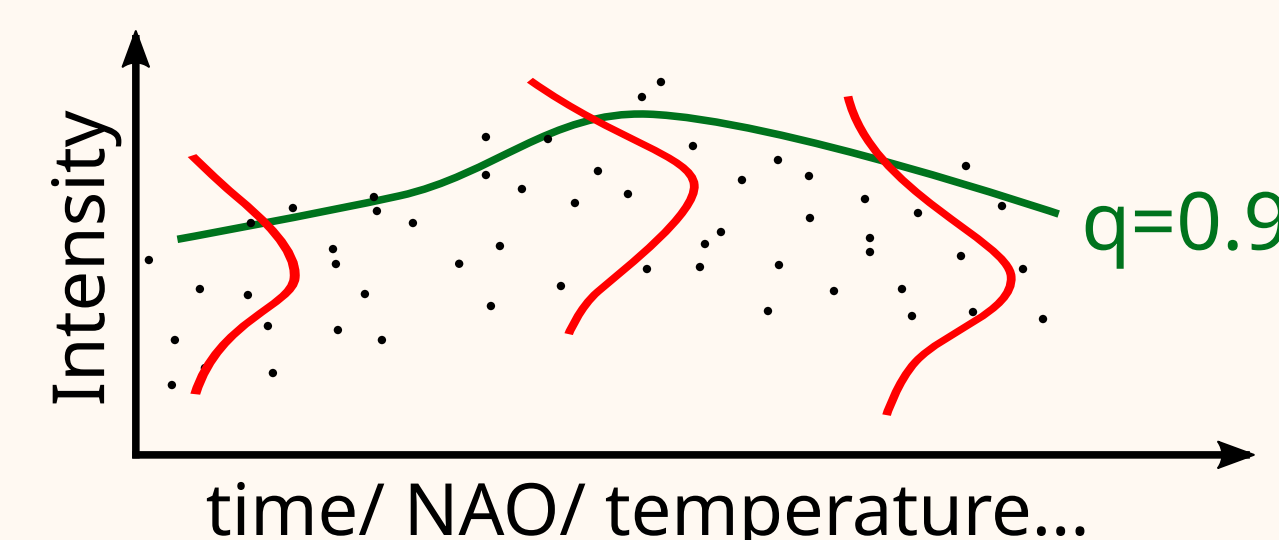
- Exploit smoothness in space (use location covariates).



- Identify further meaningful covariates: topography, altitude, land cover, slope
- Develop approaches to combine gridded data sets (high spatial resolution) and station-based data (long time records).



- Use q-GAM instead of GEV and Maximum-Likelihood-Estimation



## References

- Fauer, F. S., Ulrich, J., Jurado, O. E., & Rust, H. W. (2021). Flexible and Consistent Quantile Estimation for Intensity-Duration-Frequency Curves, *Hydrol. Earth Syst. Sci.*, 25, 6479–6494.
- Koutsoyiannis, D., Kozonis, D., & Manetas, A. (1998). A mathematical framework for studying rainfall intensity-duration-frequency relationships. *Journal of Hydrology*, 206(1-2), 118-135.
- Gupta, V. K., & Waymire, E. (1990). Multiscaling properties of spatial rainfall and river flow distributions. *Journal of Geophysical Research: Atmospheres*, 95(D3), 1999-2009.
- Fauer, F.S., Rust, H.W. Non-stationary large-scale statistics of precipitation extremes in central Europe. *Stoch Environ Res Risk Assess* 37, 4417–4429 (2023). <https://doi.org/10.1007/s00477-023-02515-z>